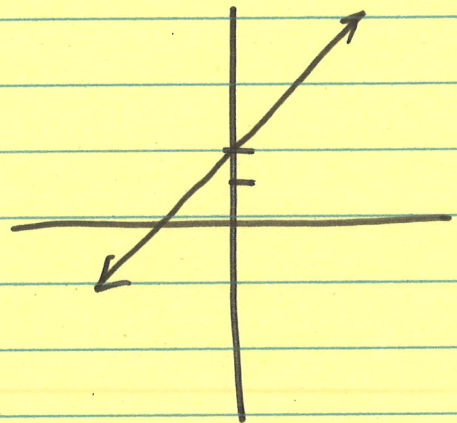
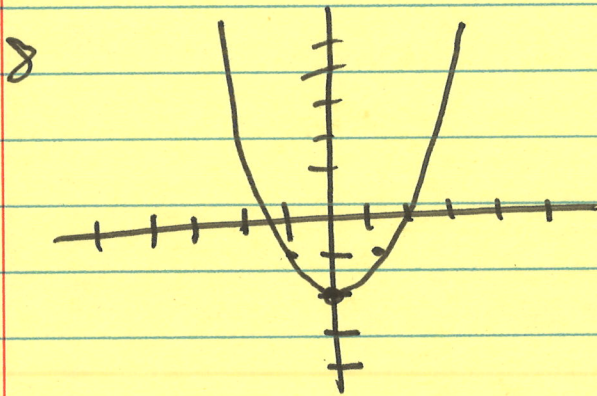


Lecture 09/22/23 Intro to Piecewise Functions

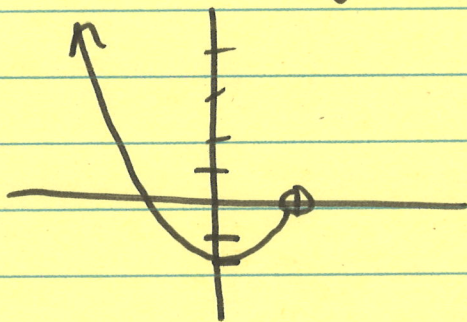
HW are 16 18 19
Tud Sun Wen

Piecewise functions are multiple function stitched together

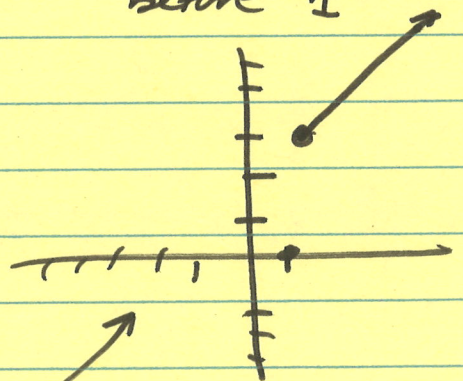
Ex #8 #9 #4 + #10 95



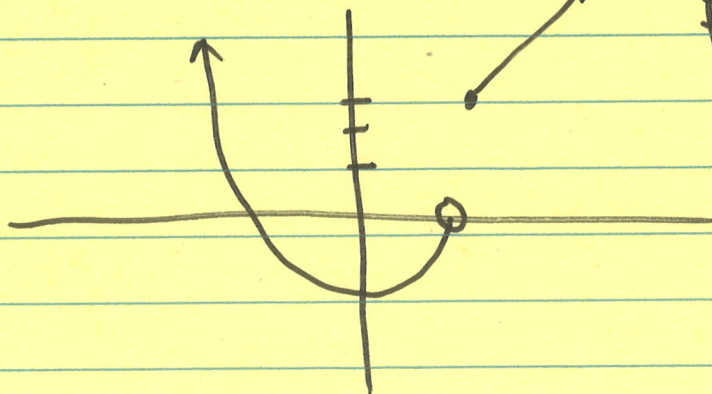
(9) Erase everything after 1



Erase everything before 1



(10)



This represents a function passes VLT!
 We write it like so

$$y(x) = \begin{cases} x^2 - 2 & x < 1 \\ x + 2 & x \geq 1 \end{cases}$$

\leftarrow draw $x^2 - 2$ from $(-\infty, 1)$ on
 \leftarrow draw $x + 2$ on $[1, \infty)$

$-4 < 1$ so plug into $x^2 - 2$

$$y(-4) = (-4)^2 - 2 = \boxed{14}$$

$3 \geq 1$ so plug into $x + 2$

$$y(3) = 3 + 2 = \boxed{5}$$

Perange of Domain and Range

#3 D. 96

$$h(x) = \begin{cases} 4 & \text{for } x \leq 0 \\ 4 - x^2 & \text{for } 0 < x < 2 \\ 2x - 6 & \text{for } x \geq 2 \end{cases}$$

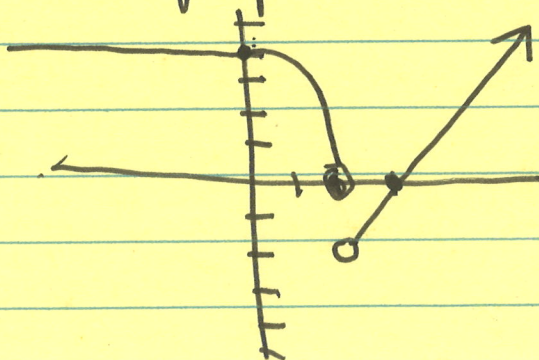
Domain: Given to us

$$[-\infty, 0] \cup (0, 2) \cup (2, \infty)$$

←
 Squish
 →

$$[-\infty, 2) \cup (2, \infty)$$

Range: let's graph this ~~idea~~ $(-2, \infty)$



Graph to equation (use what we did last week!

#5

$$\left. \begin{array}{l} 10.5 \quad (3, 8) \\ \cancel{6.5} \quad (1, 2.2) \\ \frac{4.9}{2} (x) + 1.5 \quad [0, 1] \end{array} \right\}$$